

BIOL 410 Tutorial 5

Population sampling

Quadrat sampling

- Quadrat counts
 - You want to estimate population density and size in a 1 by 1 km area
 - You sample up to 100, 10 by 10 m quadrats
- ```
quadrats <- round(rpois(100,8),0)
```
- Calculate the density and total number of animals, the sample variance and the population variance estimate based on 5, 20, 50 or 100 quadrats being sampled.

$$\bar{x} = \frac{\sum x}{n} \quad \hat{X} = N\bar{x} \quad \hat{s}^2 = \frac{\sum x^2 - \frac{(\sum x)^2}{n}}{n-1} \quad (Ns_{\bar{x}})^2 = \frac{N^2}{n} s^2 \left(1 - \frac{n}{N}\right)$$

# Quadrat sampling

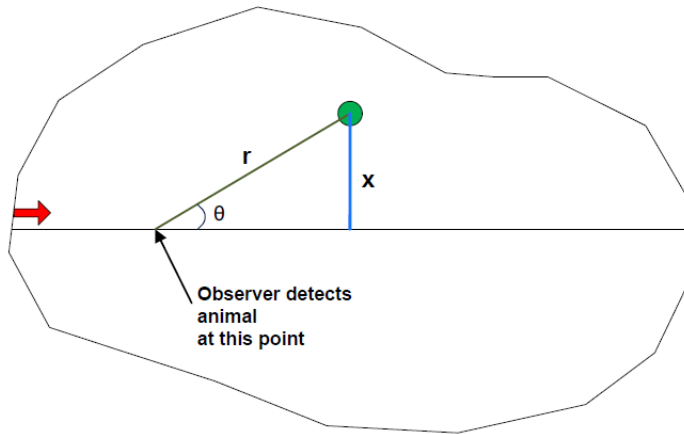
- Useful functions

Mean(x[1:5])      # mean of vector

var(x[1:5])      # variance of vector

- How does population variance relate to sample variance?
- Plot how estimated N and population variance change as function of quadrat number

# Transect sampling



1. Sighting distance ( $r_i$ )
2. Sighting angle ( $\Theta_i$ )
3. Perpendicular distance ( $x_i$ )<sup>a</sup>

$$x = r \sin(\theta).$$

$$\hat{D}_H = \frac{n}{2L} \left( \frac{1}{n} \sum \frac{1}{r_i} \right)$$

where  $\hat{D}_H$  = Hayne's estimator of density

$n$  = number of animals seen

$L$  = length of transect

$r_i$  = sighting distance to each animal  $i$

# Transect sampling

- You performed three transect sampling counts and obtained the following data from 50 m transects where the distance measured are in m

```
nt1 <- 8
```

```
nt2 <- 13
```

```
nt3 <- 4
```

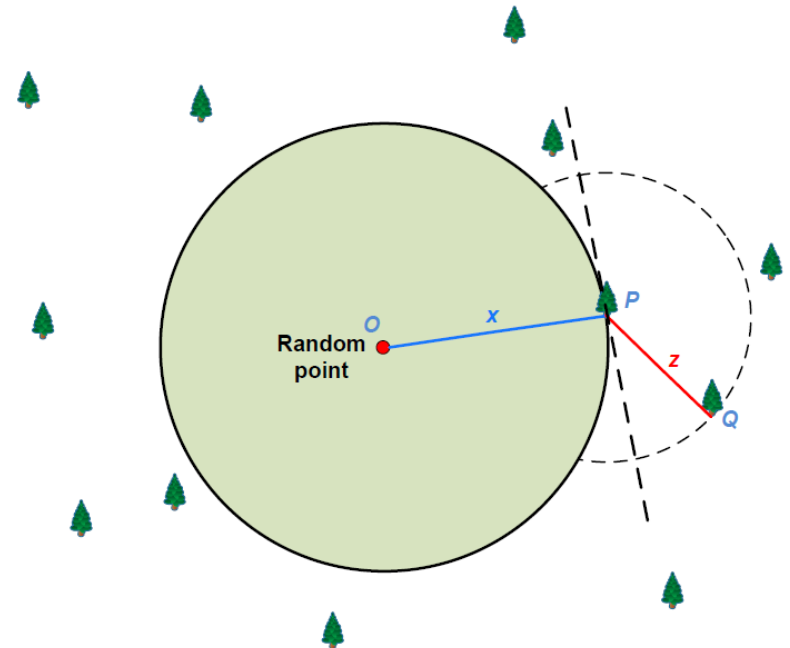
```
rt1 <- c(5,2,3,6,4,4,6,2)
```

```
rt2 <- c(7,1,5,2,3,5,7,5,6,4,1,8,3)
```

```
rt3 <- c(2,4,3,7)
```

- Using Hayne's estimator calculate the estimated population density for each transect and for the population as a whole
- Assuming the habitat range of the population is 3.78 square km, what is the absolute population number

# Distance metrics



$$\hat{N}_1 = \frac{n}{\pi \sum (x_i^2)}$$

where  $\hat{N}_1$  = Estimate of population density from point-to-organism data

$n$  = Sample size

$x_i$  = Distance from random point  $i$  to nearest organism

# Distance metrics

- You are sampling mushroom density using distance metrics and obtain the following data (in m) based on random point sampling

```
rx <- c(2,15,7,5,21,3,7,1,6,14)
```

- Estimate what the density of mushrooms in the forest

# Mark Recapture

- You are using mark (paint spot) and recapture methods to estimate the density of a freshwater snail. You obtain the following data from a single mark, recapture iteration.

```
mark <- 264
capture <- 86
recapture <- 16
```

- Using the Petersen method calculate population size and the 95% CI.



# Mark recapture

# Binomial Confidence Interval

- $p = \text{Recaptures} / \text{Captures}$
- $\text{Lines} - \text{Captures}$

$$\hat{N} = \frac{CM}{R}$$

$$\text{Lower 95\% CI on } \hat{N} = \frac{1}{\text{Upper pop. proportion}} M$$

$$\text{Upper 95\% CI on } \hat{N} = \frac{1}{\text{Lower pop. proportion}} M$$

