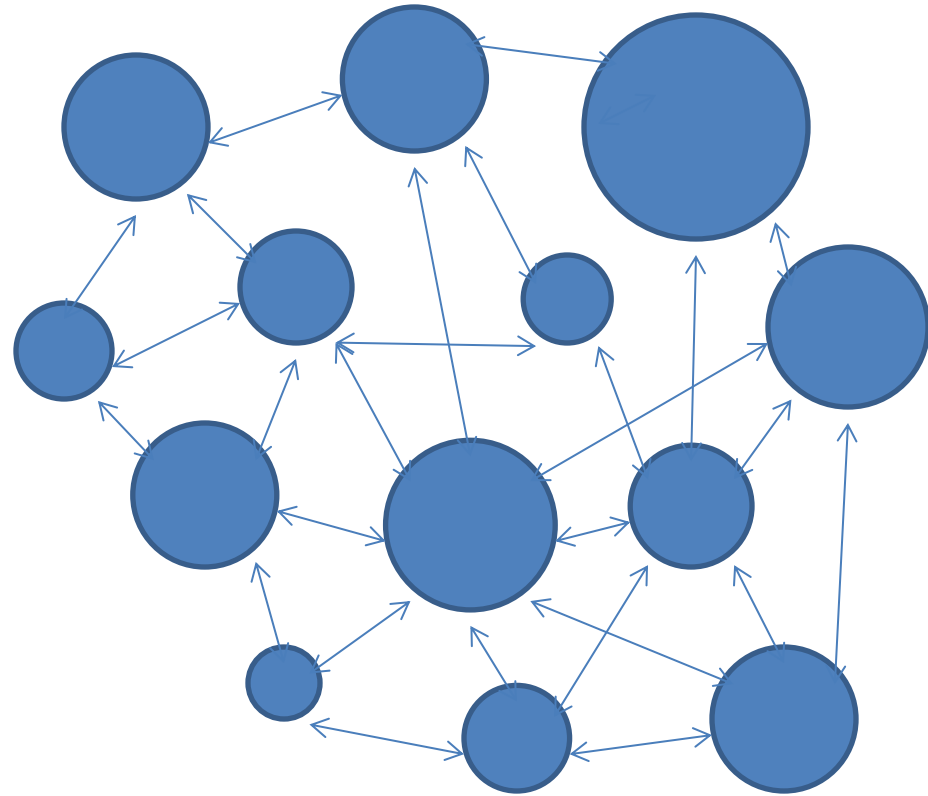


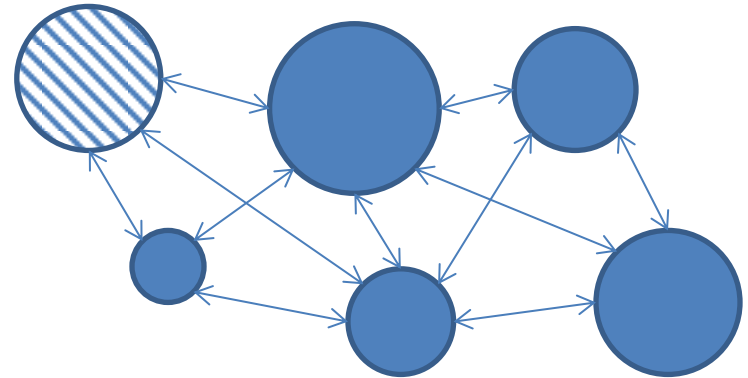
# Metapopulations

1. Local (within-patch)
    - Local extinction
  2. Metapopulation (regional)
    - Regional extinction
- Shifting mosaic of occupied and unoccupied patches
  - How long will regional population persist?
  - What are the conditions for persistence?
  - What will happen if there is a loss of habitat (reduction in # of patches)?



# Local extinction risk

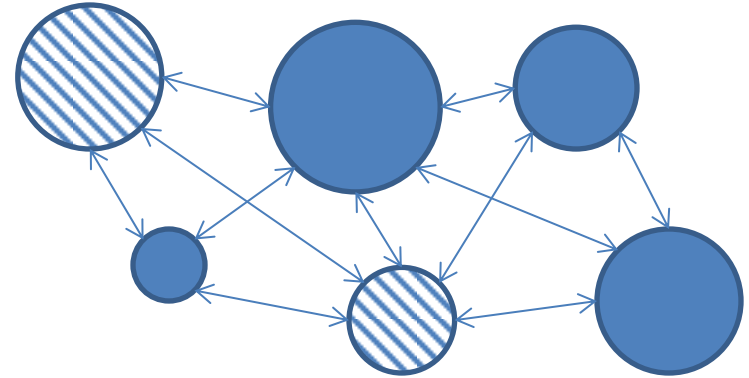
- Probability of extinction within fixed time period ( $p_e$ )
- Probability that subpopulation will persist during the same period ( $1 - p_e$ )
- Probability (P) that the subpopulation will persist for a number (n) of time periods (years or decades):



$$P_n = (1 - p_e)^n$$

# Regional extinction risk

- **Probability that two subpopulations will go extinct**
  - $(p_{e1} \times p_{e2})$



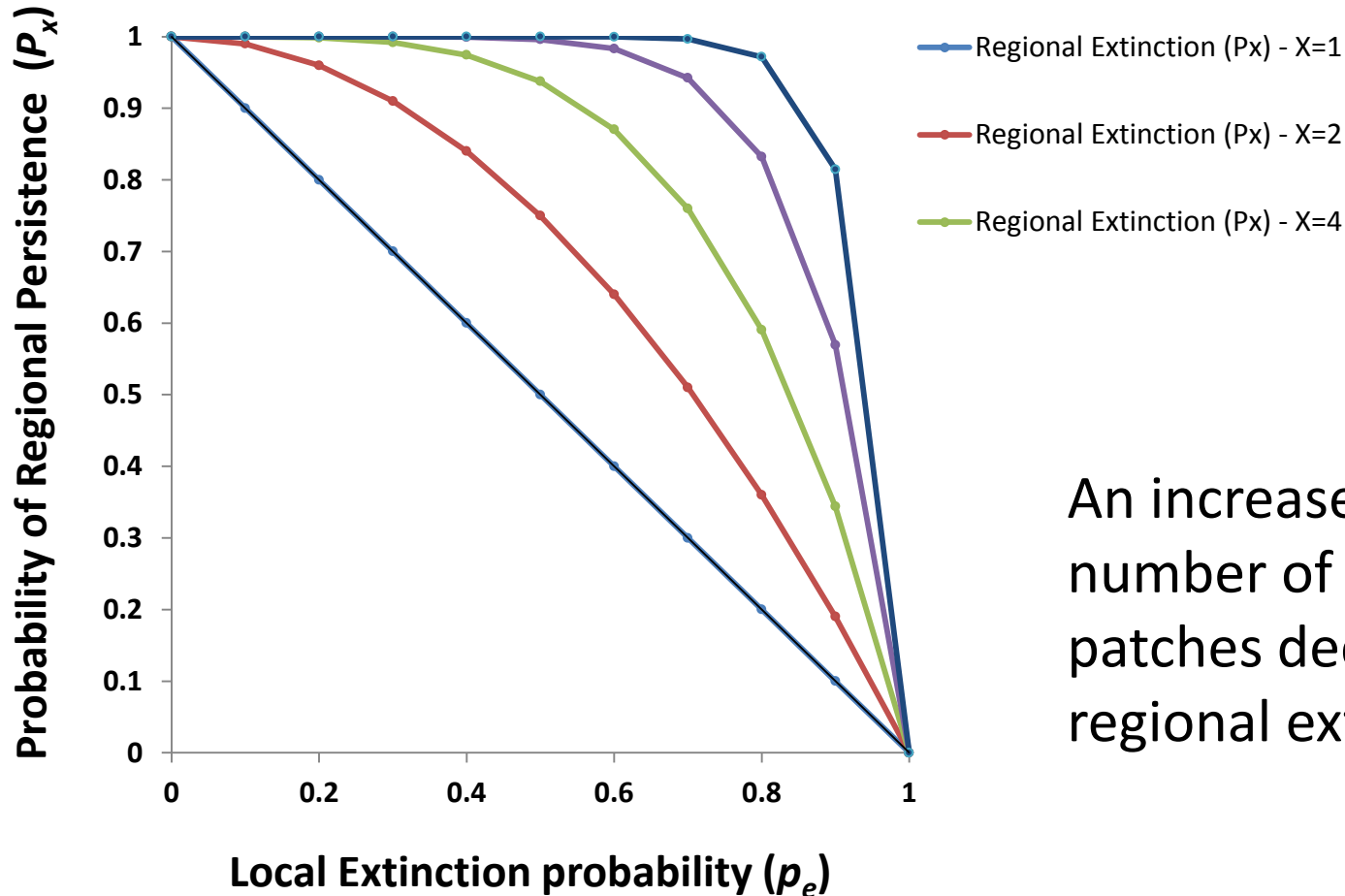
- **Probability that all subpopulations will go extinct**

$$P_{re} = (p_e)^x$$

- **Probability that at least one subpopulation will persist**  
( $1 - p(\text{regional extinction})$ )

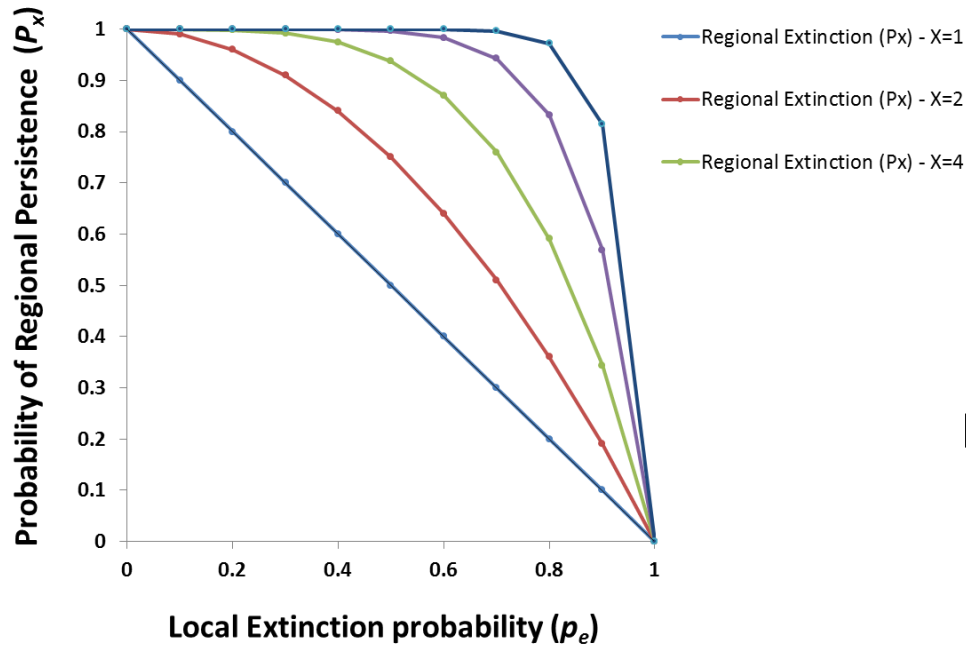
$$P_x = 1 - (p_e)^x$$

# Regional extinction risk



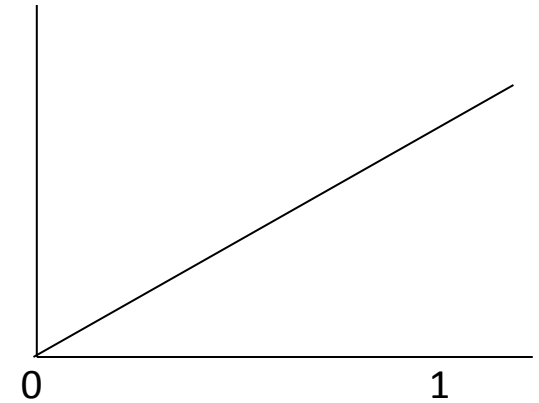
An increased in the number of occupied patches decrease the regional extinction risk.

# Regional extinction risk

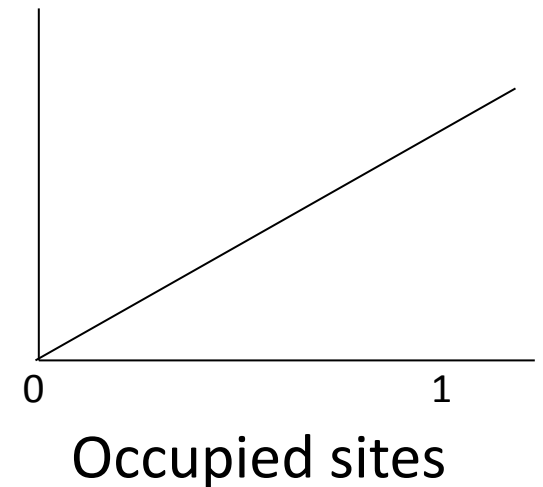


- Regional extinction risk depends on # sites occupied

Regional  
population  
persistence

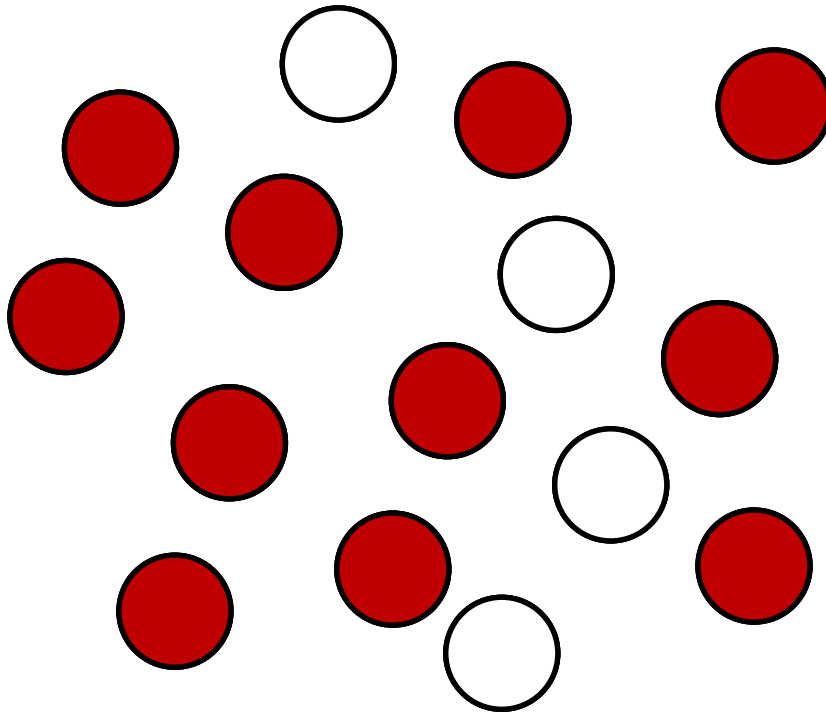


Extinction  
rate ( $E$ )



# Site occupancy

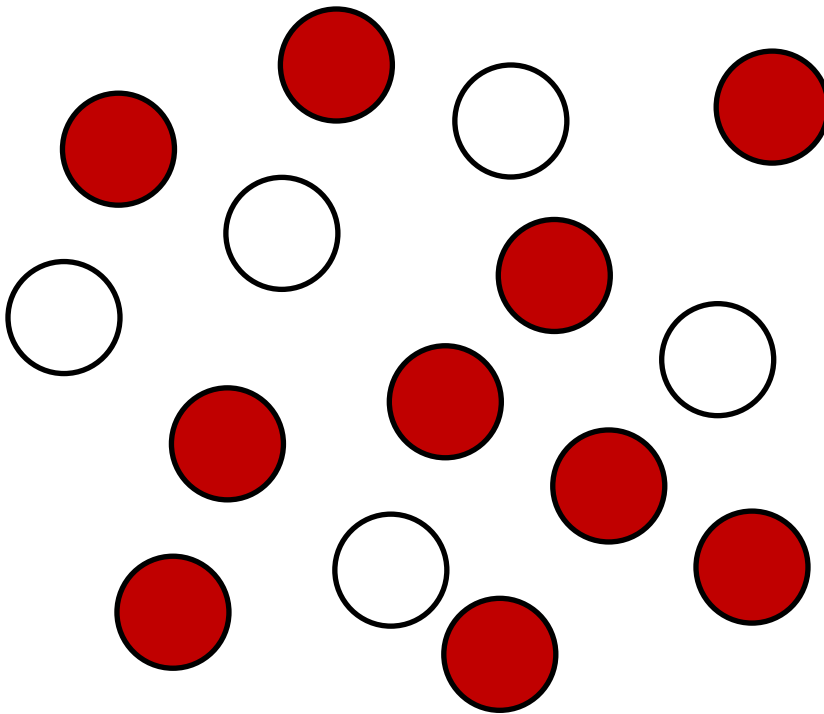
- State of regional (meta) population
- Given by  $f$ : fraction of occupied patches



$$f = \frac{11}{15} = 0.73$$

# Site Occupancy

- fraction of the sites occupied ( $f$ ) over time ( $t$ ) is the interplay between immigration rates ( $I$ ) and extinction rates ( $E$ )



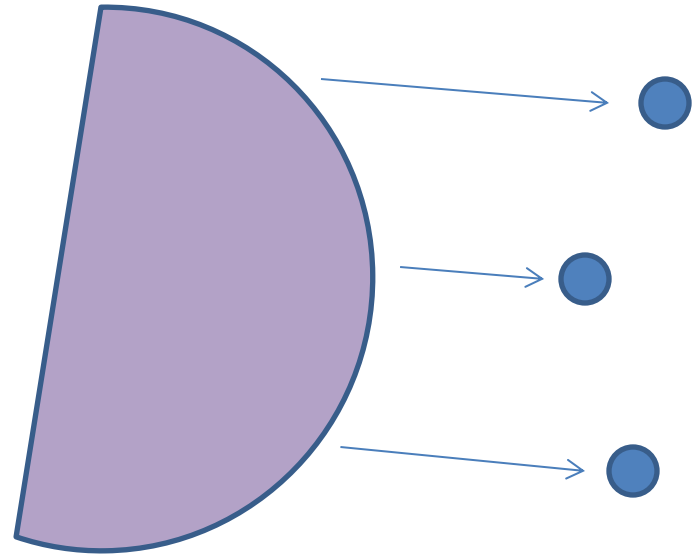
$$\frac{df}{dt} = I - E$$



Extinction, not  
emigrations!

# Patch colonization

- Island-Mainland model
- Colonization of patches ( $p_i$ ) does not depend upon immigration among patches, but occurs via a continuous source of migrants from a large source population (propagule rain)
- Subpopulations (islands, patches) are sourced by a large mainland population that is providing constant immigrants





# Island-mainland patch colonization rate

- Probability of **local colonization** ( $p_i$ )
  - Chance that an unoccupied patch will be colonized over the next time step.
- Immigration rate ( $I$ )
  - dependent on probability of colonization ( $p_i$ ) from the mainland, and availability of unoccupied sites ( $1-f$ ).

$$I = p_i(1 - f)$$

# Island-mainland extinction rate

- Probability of local extinction ( $p_e$ )
- Extinction rate ( $E$ ) is the product of local extinction probability ( $p_e$ ) and the fraction of sites occupied ( $f$ ).

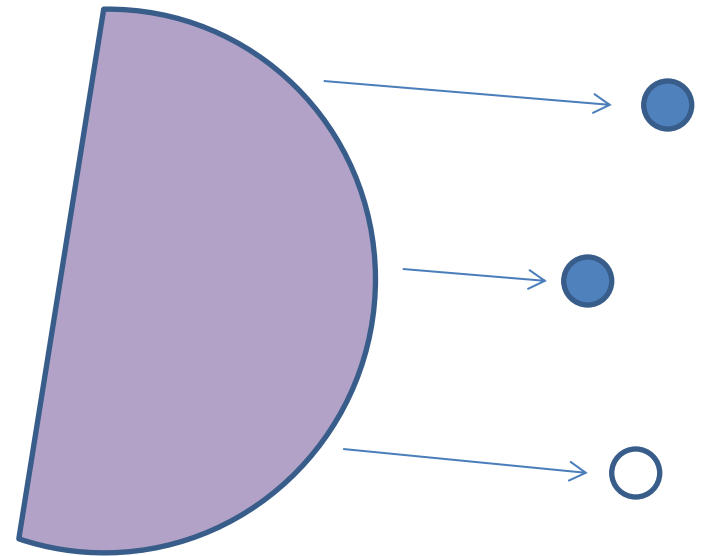
$$E = p_e f$$

# Island-mainland metapopulation model

- Change in the fraction of sites occupied over time ( $df/dt$ )

$$\frac{df}{dt} = I - E = 0$$

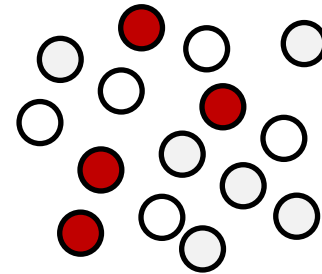
$$\frac{df}{dt} = p_i(1 - f) - p_e f$$



# Island-Mainland Model

- Ecological questions:
  - What is the expected fraction of occupied sites over time?
  - What is the stable fraction of sites occupied over time?

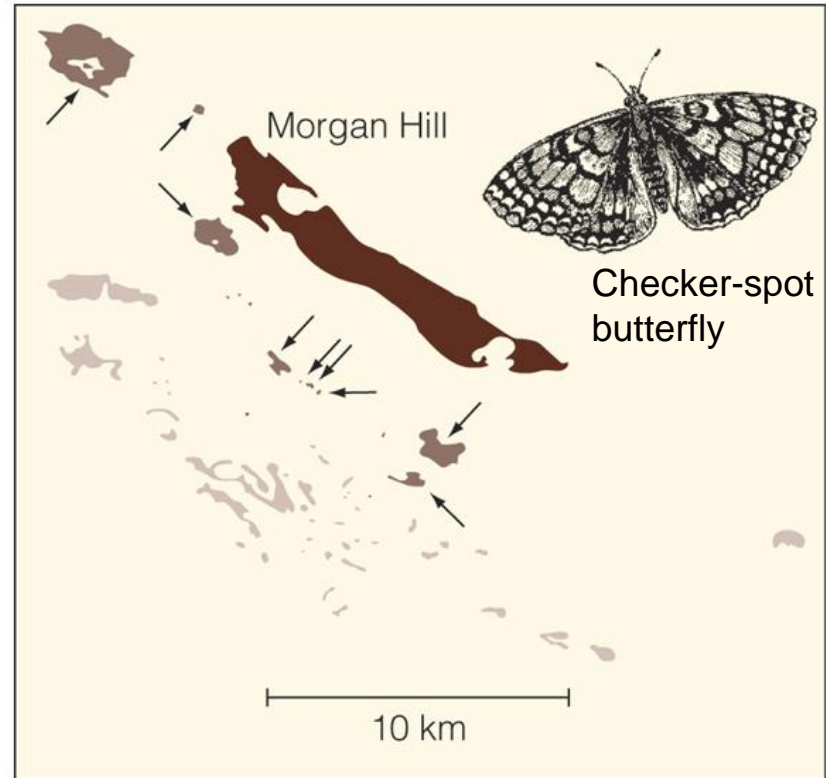
$$\frac{df}{dt} = 0 = p_i(1 - f) - p_e f$$



- Estimated frequency of sites occupied
  - Fraction of sites occupied is balance between immigration ( $p_i$ ) and extinction ( $p_e$ )
$$\hat{f} = \frac{p_i}{p_i + p_e}$$
- Due to background immigration some satellite patches will always be occupied

# Island-mainland model

- one large population (low extinction risk)
- provides colonists for many small populations (high risk)



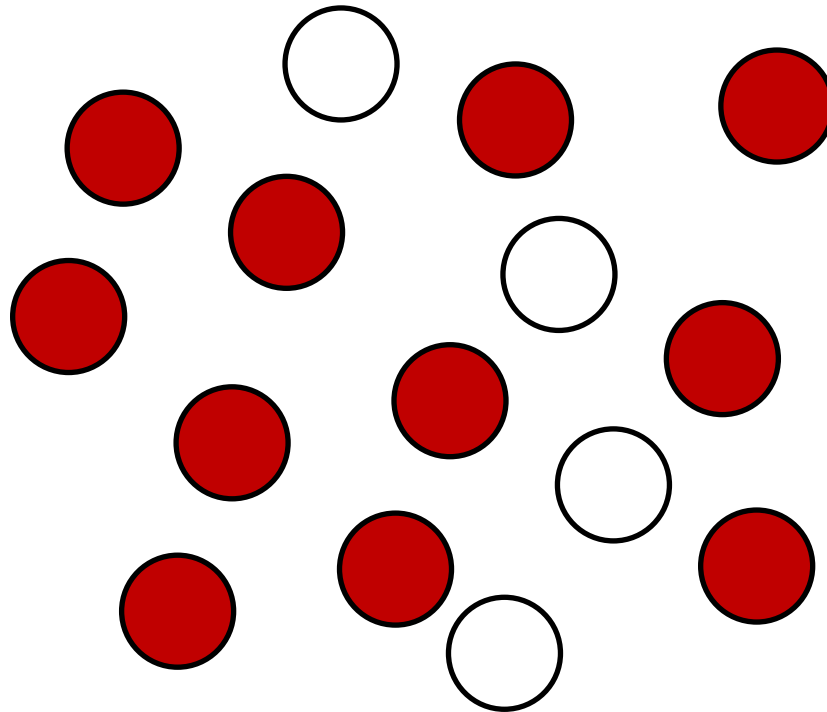
Copyright © 2006 Pearson Education, Inc., publishing as Benjamin Cummings

## Rescue effect:

- Island recolonized from “mainland”
  - High quality / permanent population = **source** population
  - Temporary patches = **sink** populations

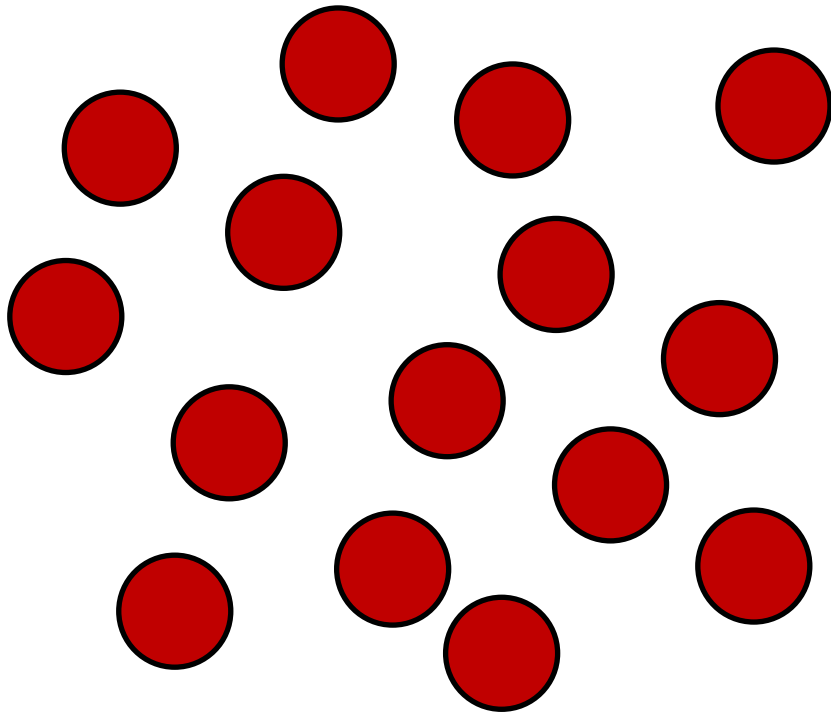
# Patch Colonization

- What if there is no mainland to supply a steady stream of colonizing propagules?



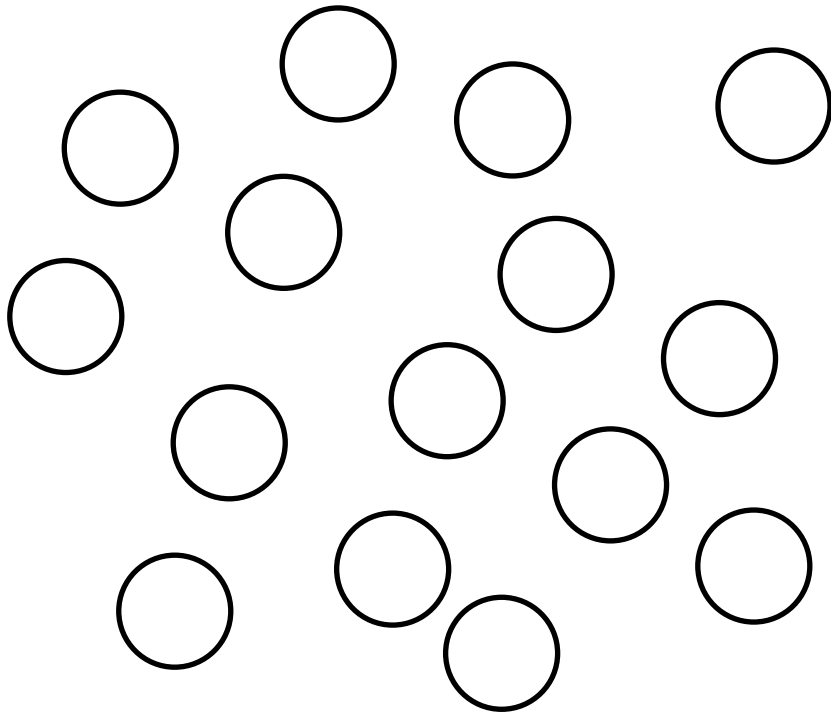
# Patch colonization

- What is the probability that a colonization event will occur?



# Patch colonization

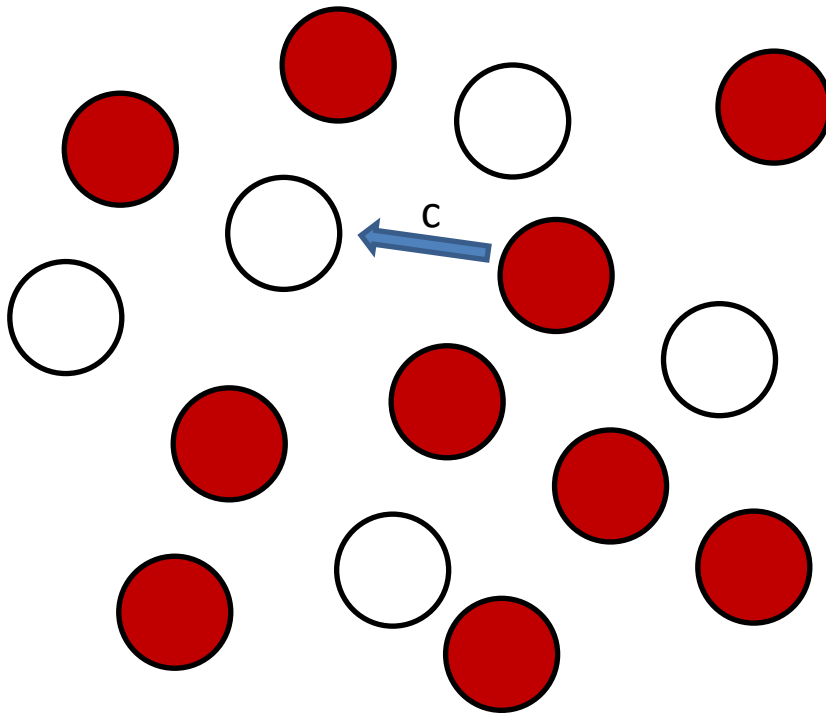
- What is the probability that a colonization event will occur?





# Patch colonization

- Colonization rate =  $m$



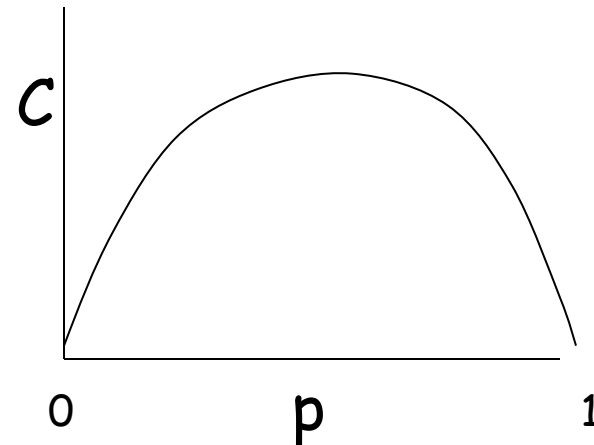
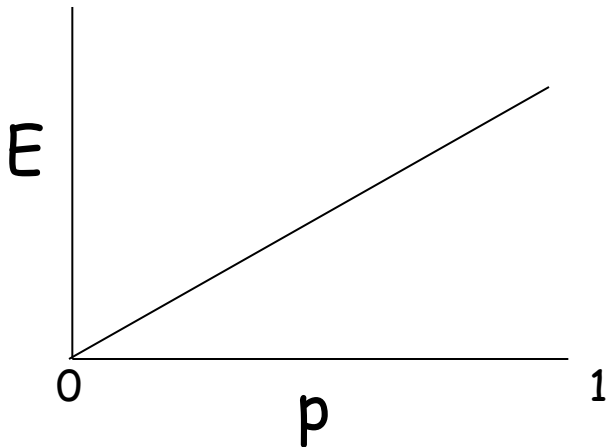
- Single colonization rate for system
  - What does this assume about system?

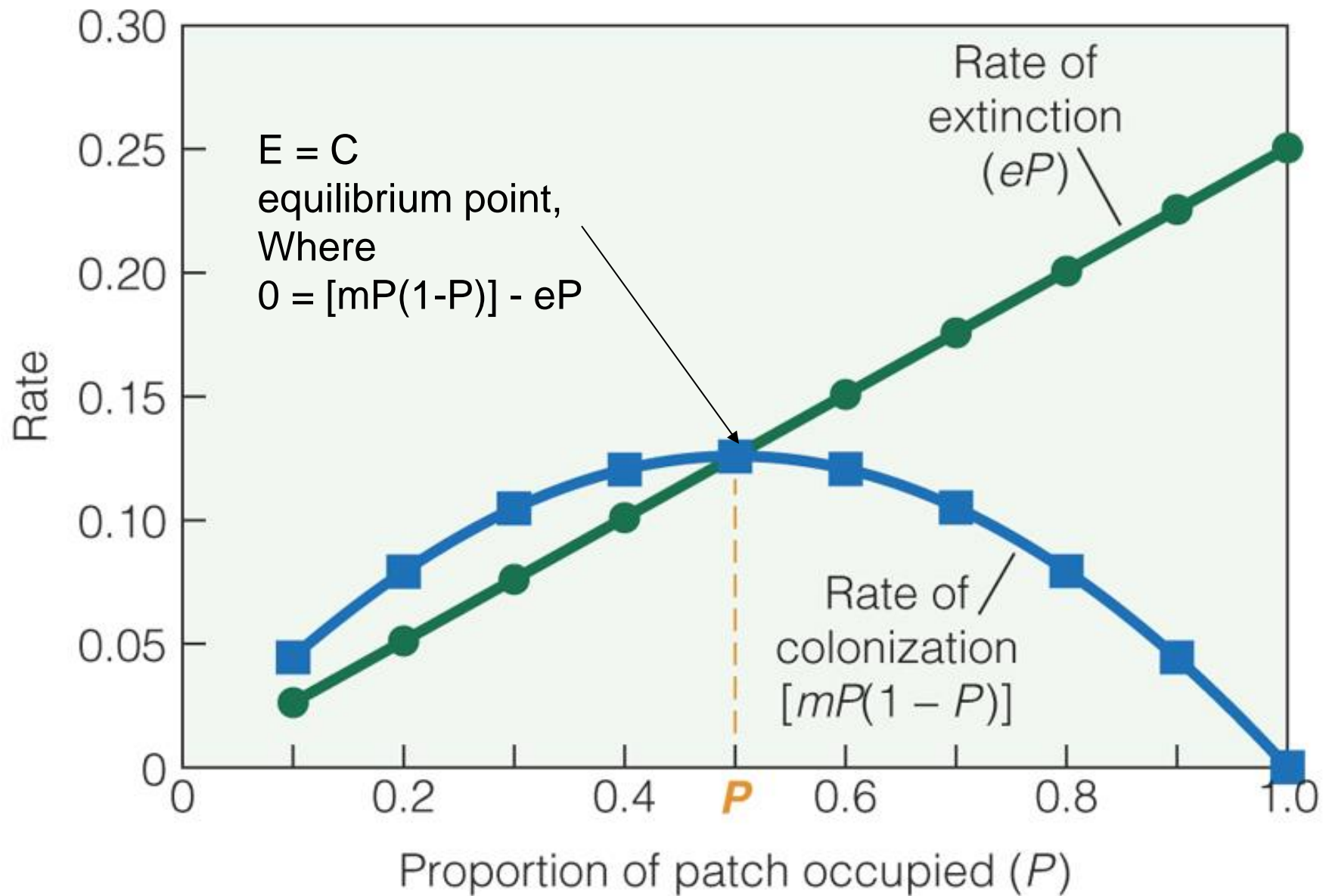
$$C = cp(1 - p)$$

# Classic metapopulation

Extinctions = extinction rate x prop'n patches occupied  
 $= e \cdot p$

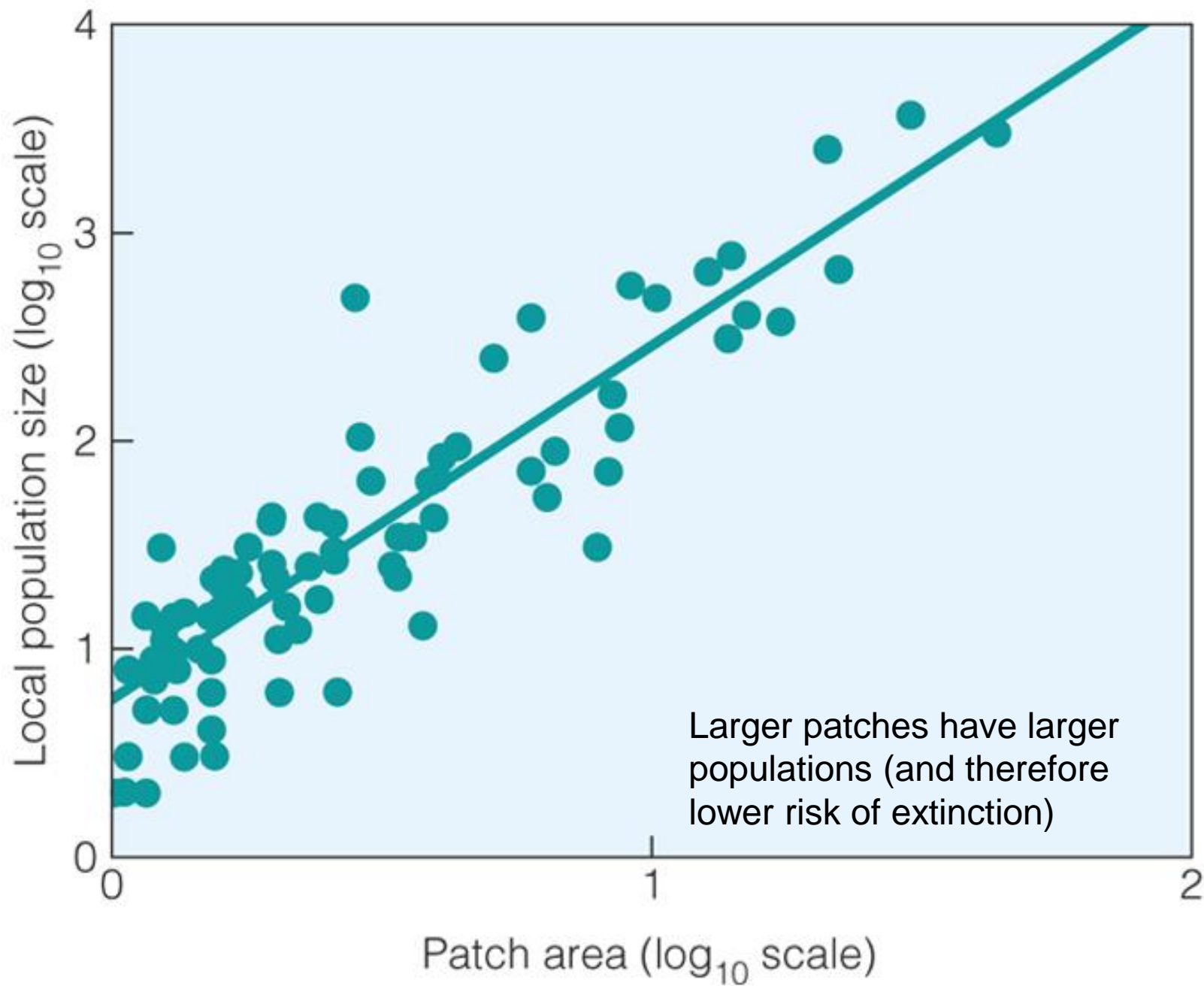
Colonization = colonization rate x prop'n unoccupied patches  
 $= c \cdot p \cdot (1-p)$





If  $C > E$ ,  $P$  increases; If  $C < E$ ,  $P$  decreases

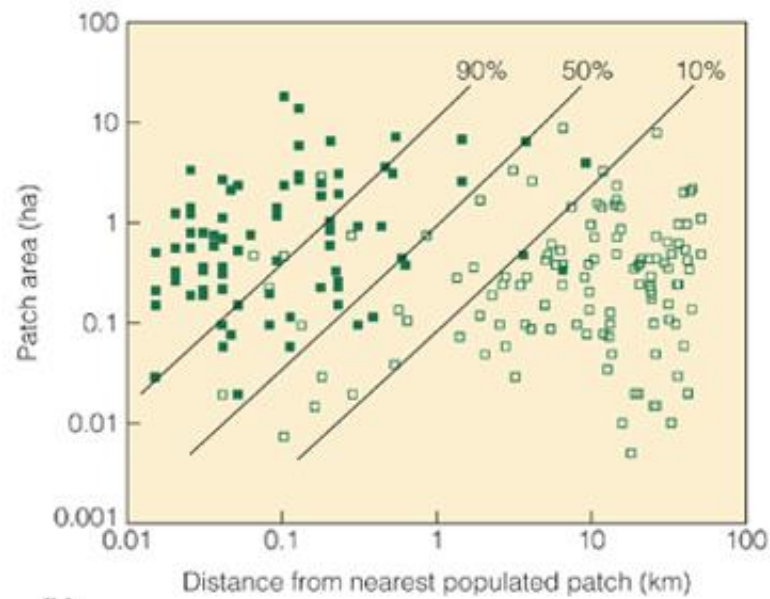
$$P_{\text{equilibrium}} = 1 - e/m$$



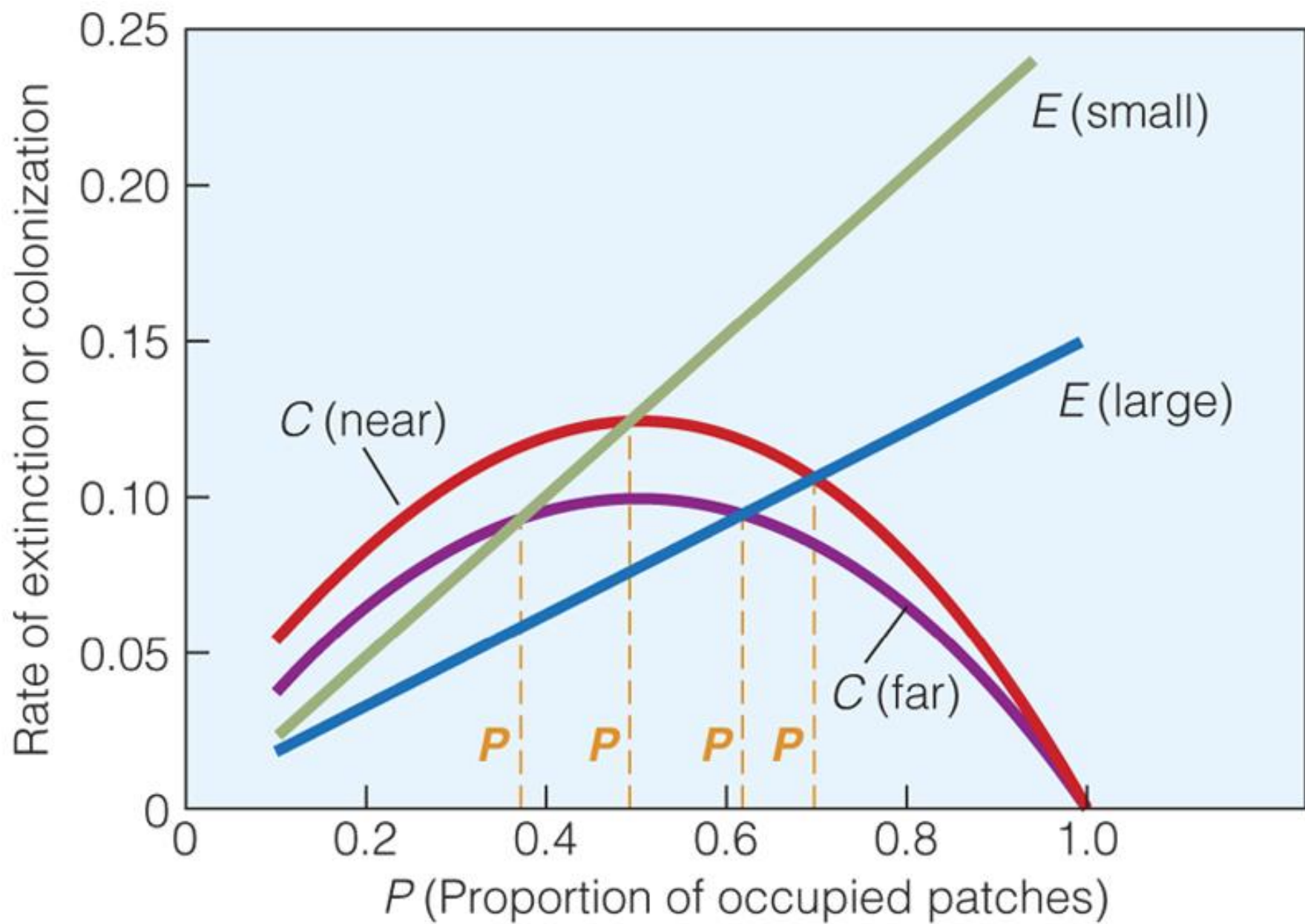


(a)

Skipper  
butterfly



(b)



# Metapopulations

- Occupancy models
  - Patch state: occupied, unoccupied
  - Patch processes: extinction, colonization
- Classic Levin's metapopulation model (1970)
  1. Habitat occurs in discrete patches
  2. Patches are not so isolated as to prevent dispersal
  3. Individual populations have a chance of going extinct
  4. The dynamics of populations in different patches are not synchronized
    - i.e., they do not fluctuate or cycle in synchrony

$$\frac{dp}{dt} = cp(1 - p) - ep$$

# Classic metapopulation model

- Determine fraction of sites occupied ( $p$ ) where rate of site occupancy is stable (change is zero)

$$\frac{dp}{dt} = cp(1 - p) - ep$$

$$\hat{f} = 1 - \frac{e}{c}$$

Island-mainland

$$\hat{f} = \frac{p_i}{p_i + p_e}$$

- Population persists only if  $e < c$



# Metapopulation model

- If the fraction of occupied sites is assumed to decrease in proportion to the number of destroyed sites ( $D$ ), we get

$$\frac{dp}{dt} = c(1-D)p - m$$

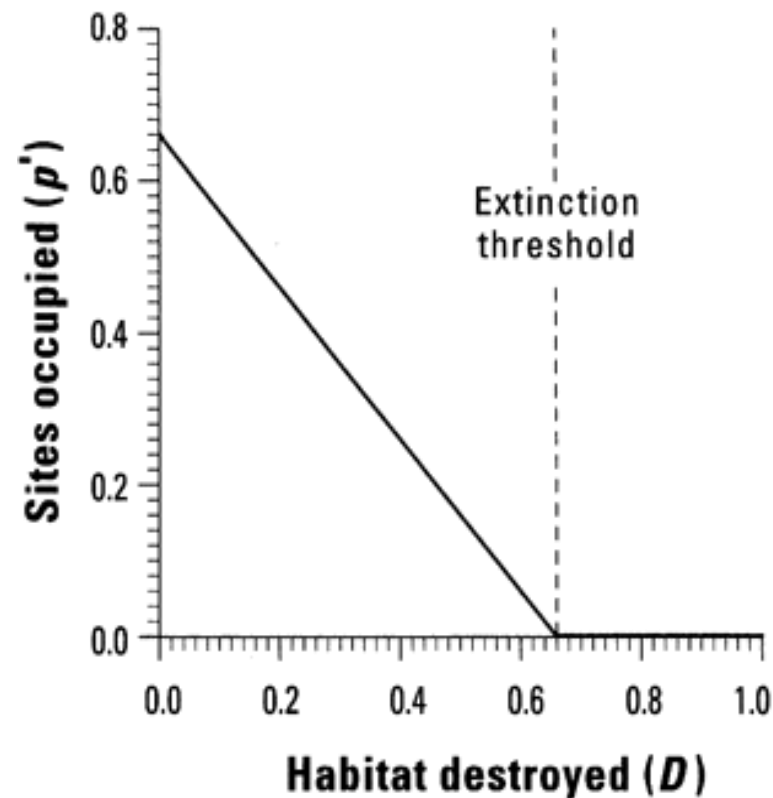
- Hence, the estimate of expected colonized sites (equilibrium solution)

$$p' = 1 - D - \frac{m}{c}$$

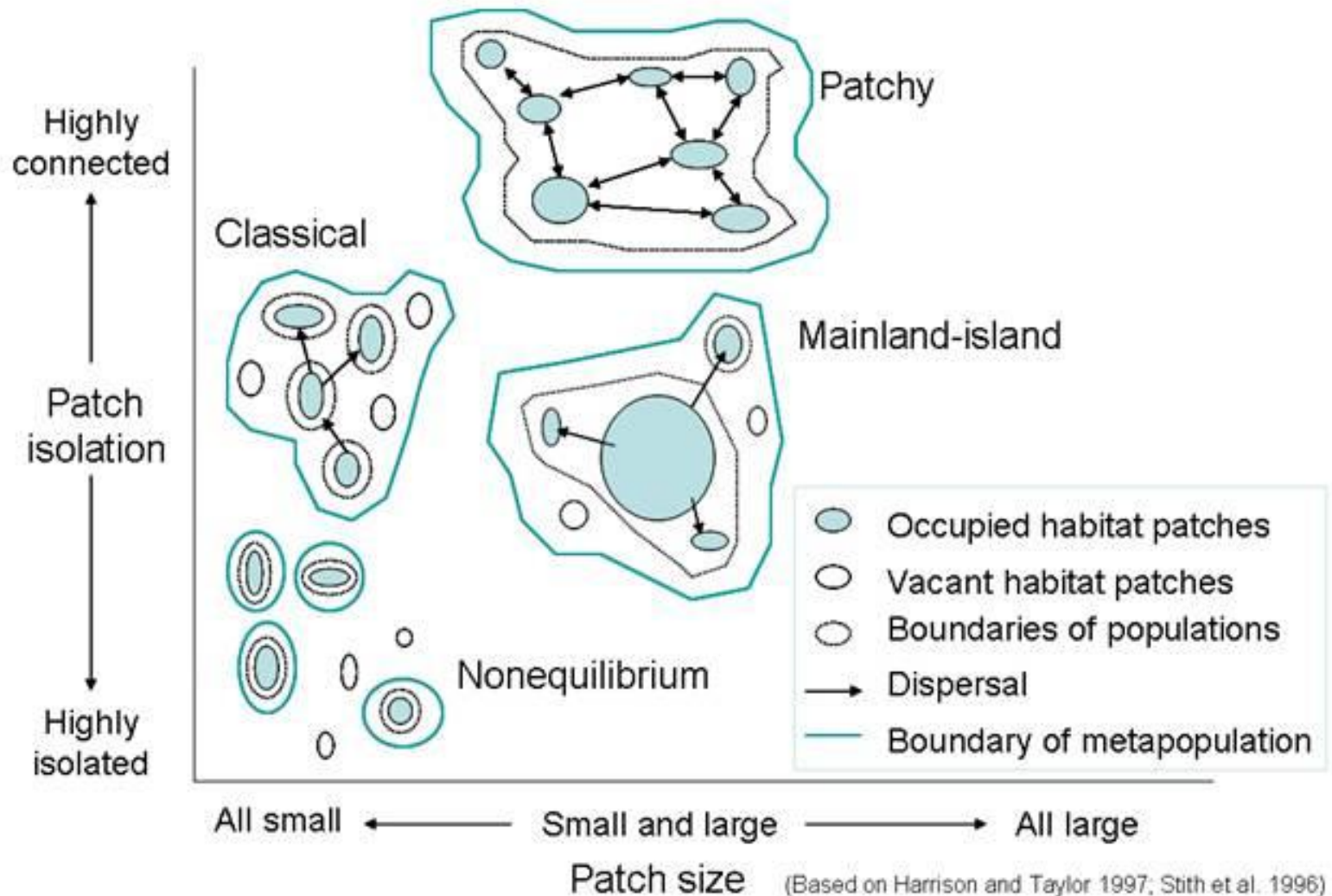
- The extinction threshold occurs when the fraction of available sites  $(1-D) \leq m/c$
- This means a population will disappear long before the final patches are removed

$$m = 0.2, c = 0.6;$$

$$1 - m/c = 0.666$$



# Metapopulation structure

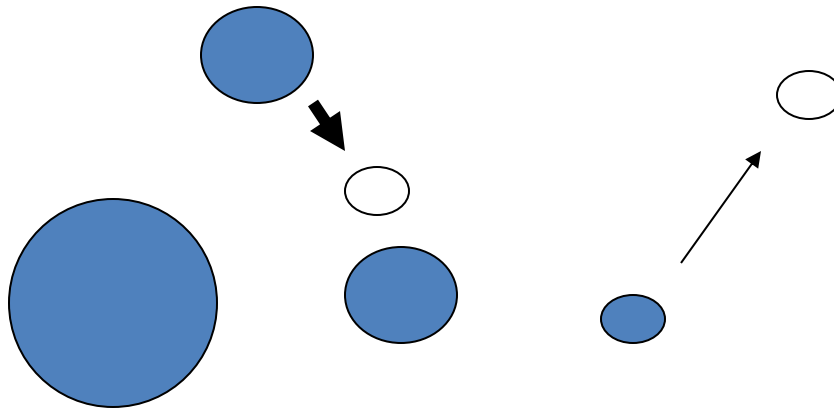


What processes are most important for each system?

The classical metapopulation model is unrealistic  
all patches are the same size  
all patches are equally connected

BUT patches in nature vary in size and isolation

Spatially realistic metapopulation models



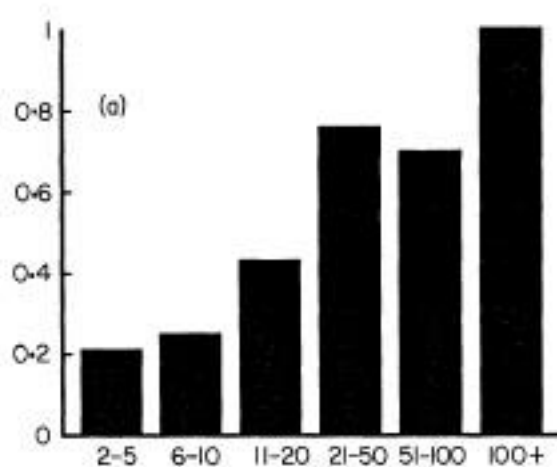
Which patches are most likely to go extinct or  
become colonized?

# Effect of patch area and isolation on occupancy

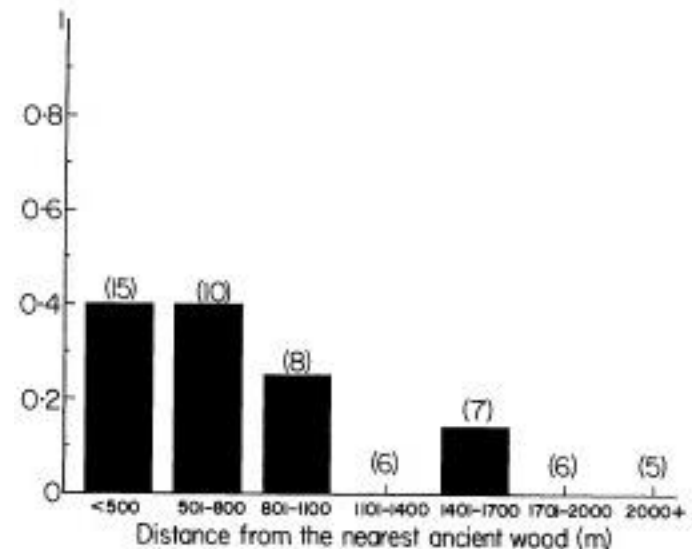
*Dormice - 238 woodlands in the UK*



Occupancy



Area



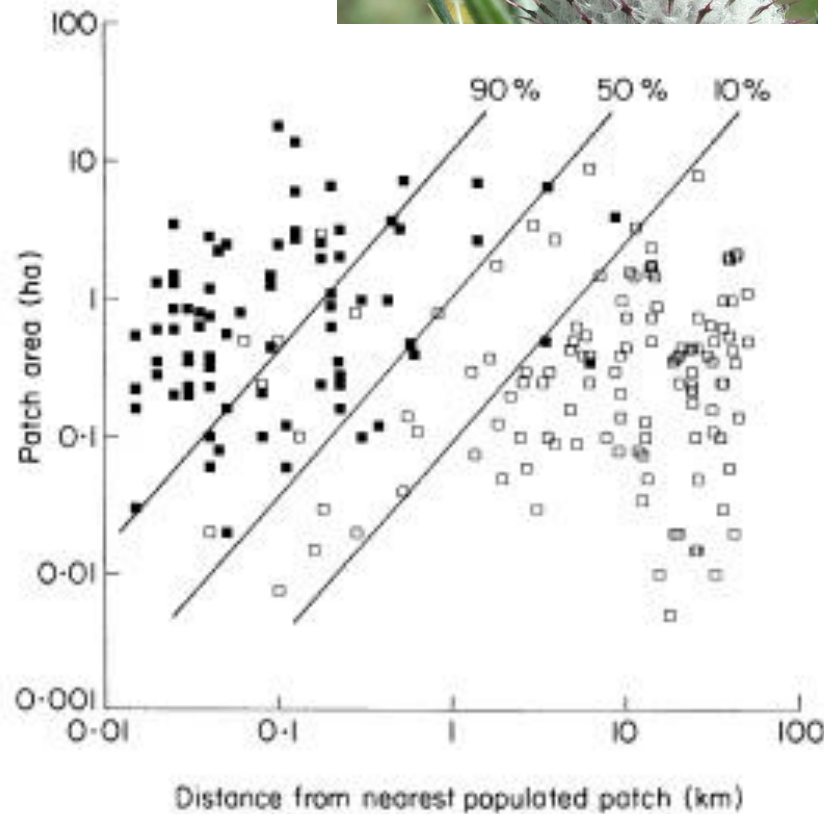
Isolation

# *Patch area and isolation effects on occupancy*

*Skipper - grass  
meadows in the UK*



*Area*



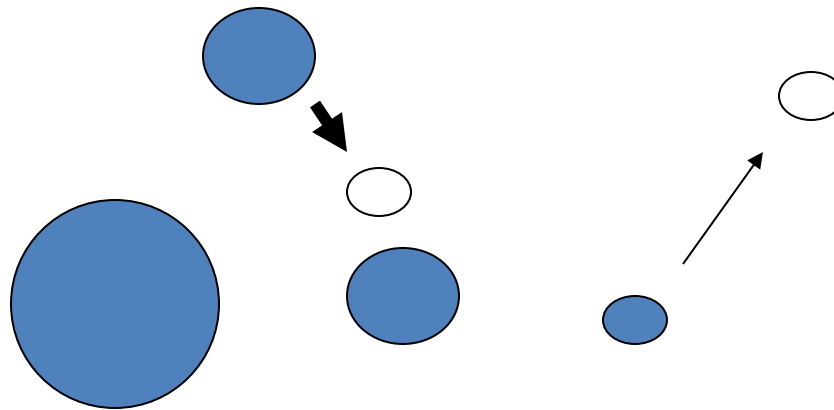
*Closed =  
occupied*

*Isolation*

The classical metapopulation model is spatially implicit  
all patches are the same size  
all patches are equally connected

BUT patches in nature vary in size and isolation

Spatially realistic metapopulation models



Patch size influences extinction  
Isolation and patch size influence colonisation

# Stochastic patch occupancy models

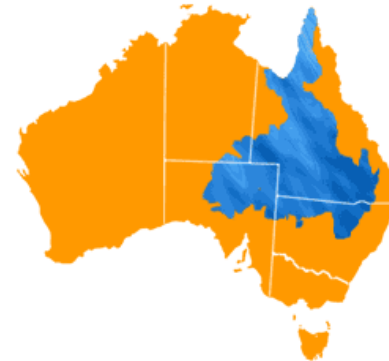
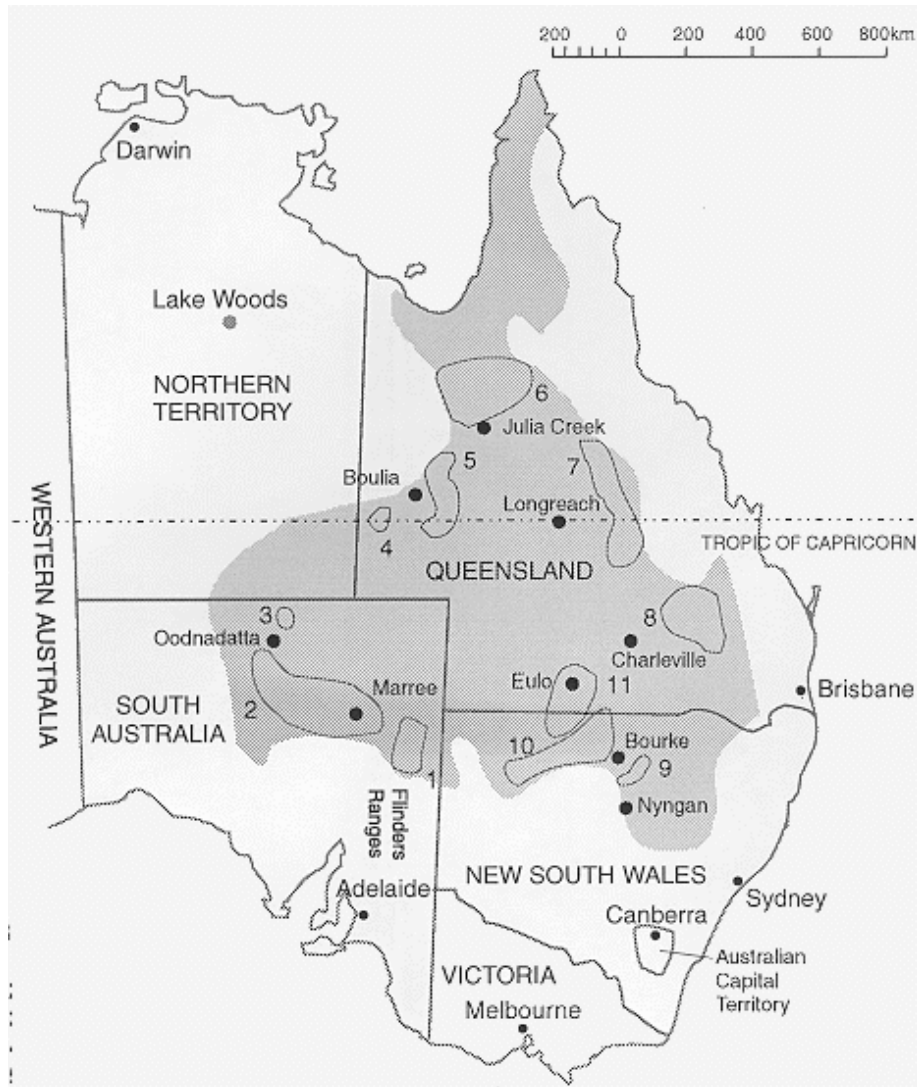
- Incidence function model
  - Generated from snapshot data
    - i.e. presence/absence at one point in time
  - Metapopulation is at an equilibrium state

Probability a patch  $i$  is occupied

$$J_i = C_i / (C_i + E_i)$$



# Mound springs in Arid Australia

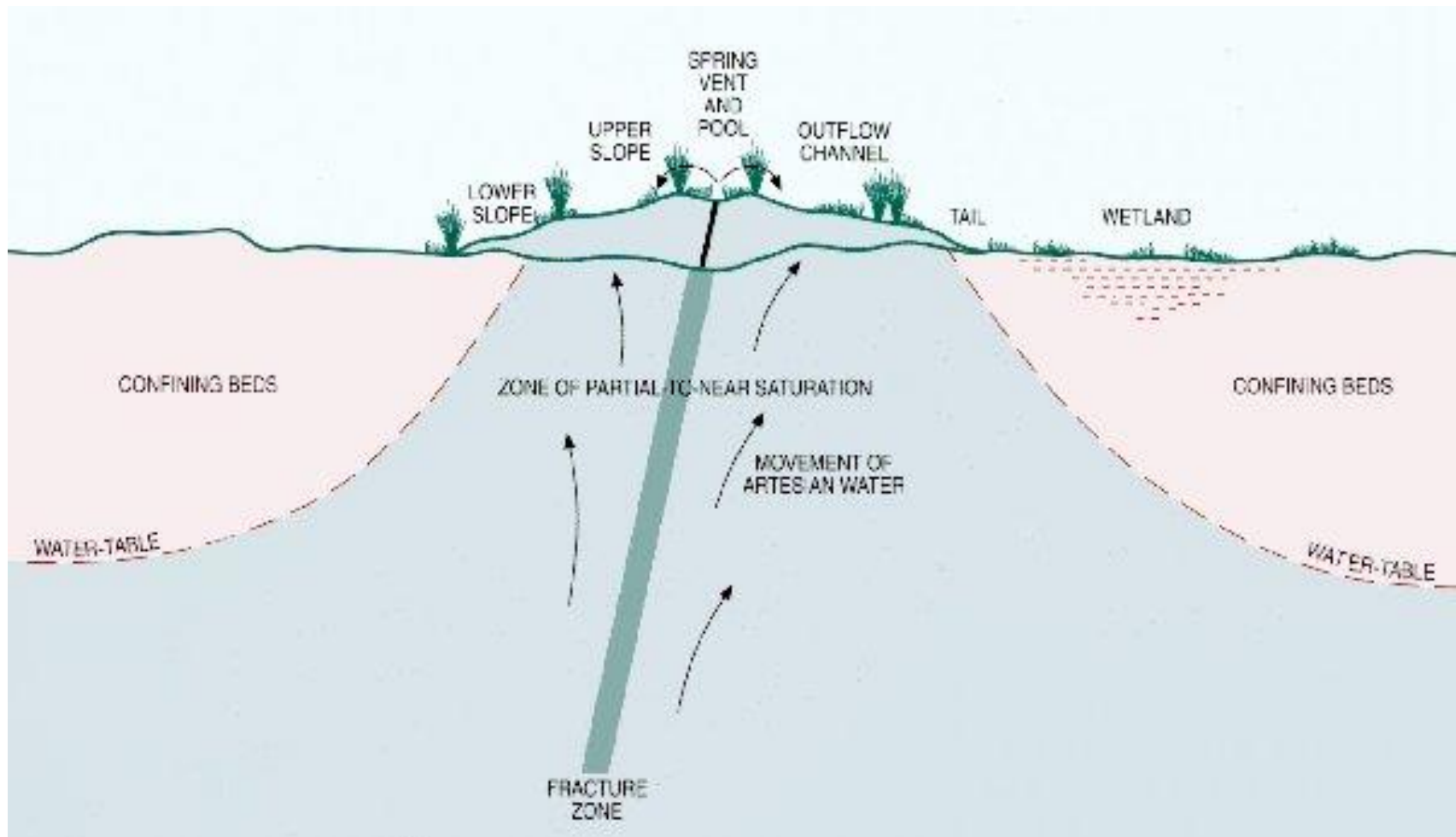


## Great Artesian Basin

- Covers ~ 22% Australia (1.76 million square km)
- Recharged from rainfall and stream flow
- Artesian springs on fringes of basin



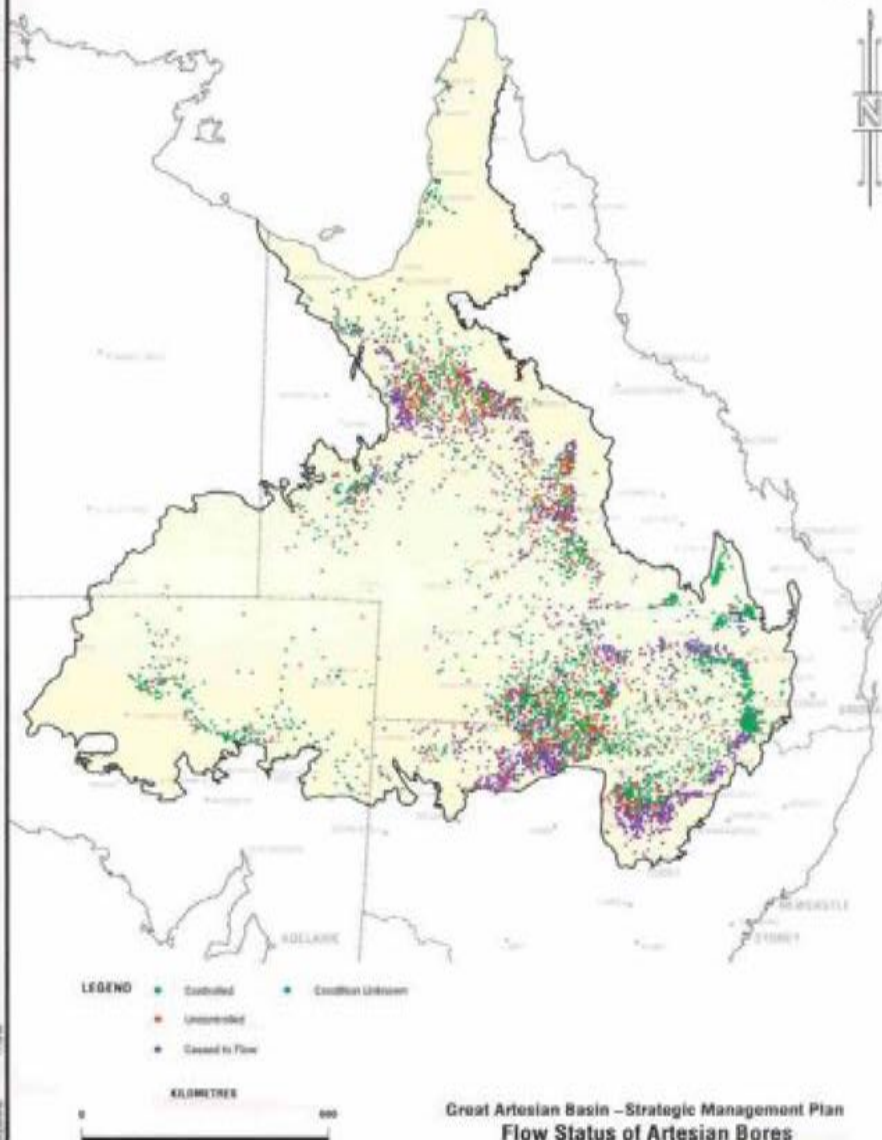
# Mound springs in Arid Australia



# Mound springs in Arid Australia

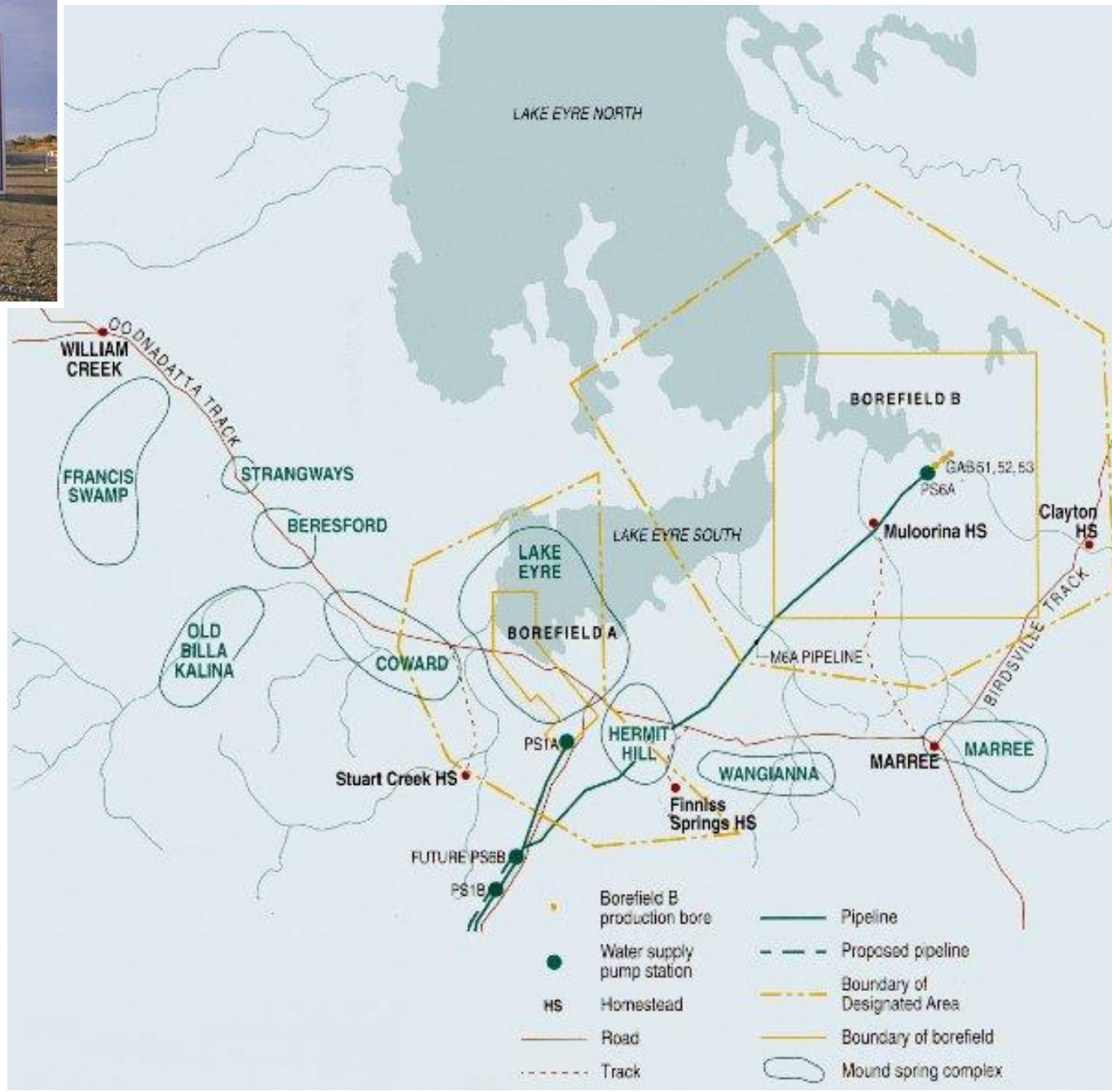


Figure 30









# Mound springs in Arid Australia

How will mound spring invertebrates respond to water reductions?

What is the most appropriate way to model this system?

What biological scale should we focus on in the PVA?

Relevant biological scale?

- Individuals
- Populations
- **Metapopulation**
- communities





# Mound springs in Arid Australia

- Metapopulations
  - Patches of habitat embedded in a landscape that is unsuitable
- Defined by two processes
  - Patch colonization ( $\lambda$ )
  - Patch extinction ( $\mu$ )

